# СПИСЪК ЦИТИРАНИЯ

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Y. Dimitrov, *Numerical approximations for fractional differential equations*, Journal of Fractional Calculus and Applications 5(3S), (2014) pp. 1-45

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